

# OVERCYCLE

*The Nightlight* failed to reach the fabled *Darkroom*, and now *The Logician* rules Gotham. To prevent *The Nightlight* from fighting crime, *The Logician* has made sweeping changes to Gotham's  $N$  suburbs. Suburb names have been outlawed, and now suburbs must be referred to by their unique index from 1 to  $N$ . Additionally, all but  $N - 1$  roads have been demolished. The  $i$ th surviving road connects suburbs  $i$  and  $i + 1$  bidirectionally and takes  $d_i$  minutes to traverse.

*The Nightlight* is unphased and has a new plan. She will use her network of spies to secretly build shortcuts, known as *Overcycles*, to allow her to quickly travel Gotham and defeat *The Logician* once and for all. In particular, *The Nightlight* will build  $A + B$  *Overcycles*:

- The first  $A$  *Overcycles* begin at suburb 1. The  $i$ th such *Overcycle* connects suburbs 1 and  $x_i$  bidirectionally, and takes  $k_i$  minutes to traverse.
- The other  $B$  *Overcycles* begin at suburb  $N$ . The  $i$ th such *Overcycle* connects suburbs  $N$  and  $y_i$  bidirectionally, and takes  $l_i$  minutes to traverse.

*The Nightlight* is planning for  $Q$  scenarios. In the  $i$ th scenario, she begins in suburb  $s_i$  and needs to travel to suburb  $t_i$ . You must compute the length (in minutes) of the shortest route from  $s_i$  to  $t_i$  using any combination of roads and *Overcycles*. Good luck, Gotham is counting on you.

## Subtasks and Constraints

For all subtasks:

- $2 \leq N \leq 200\,000$ .
- $1 \leq Q \leq 200\,000$ .
- $0 \leq A, B \leq 100\,000$ .
- $1 \leq d_i, k_i, l_i \leq 1\,000\,000\,000$  for all  $i$ .
- $1 < x_i \leq N$  for all  $i$ .
- $1 \leq y_i < N$  for all  $i$ .
- $1 \leq s_i < t_i \leq N$  for all  $i$ .

Additional constraints for each subtask are given below.

Subtask	Points	Additional constraints
1	10	$A = 0$ and $B = 0$ .
2	20	$N, Q, A, B \leq 1\,000$ .
3	15	$B = 0$ and $A \leq 10$ .
4	10	$B = 0$ .
5	30	$d_i = 1, k_i = 1, \text{ and } l_i = 1$ for all $i$ .
6	15	No additional constraints.

## Input

- The first line of input contains the integer  $N$ .
- The next line contains  $N - 1$  integers  $d_1, d_2, \dots, d_{N-1}$ .
- The next line of input contains the integer  $A$ .
- The next  $A$  lines describe the first  $A$  *Overcycles*. The  $i$ th line contains two integers  $x_i$  and  $k_i$ .
- The next line contains the integer  $B$ .
- The next  $B$  lines describe the other  $B$  *Overcycles*. The  $i$ th line contains two integers  $y_i$  and  $l_i$ .
- The next line contains the integer  $Q$ .

- The next  $Q$  lines describe the scenarios. The  $i$ th line contains two integers  $s_i$  and  $t_i$ .

## Output

Output  $Q$  lines, each with a single integer. The  $i$ th line should contain the length (in minutes) of the shortest route from suburb  $s_i$  to  $t_i$ .

Note: Your solution may involve integers which are large. Consider using 64-bit integers ('long long' in C++) in your solution.

### Sample Input 1

```
5
3 1 2 4
0
0
3
1 5
2 3
3 5
```

### Sample Output 1

```
10
1
6
```

### Sample Input 2

```
5
2 8 2 2
1
5 1
1
3 5
2
1 5
2 3
```

### Sample Output 2

```
1
7
```

## Explanation

In the first sample case, there are  $Q = 3$  scenarios:

- In the first scenario, *The Nightlight* travels from suburb 1 to suburb 5. She can use roads to travel  $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5$  for a total of  $3 + 1 + 2 + 4 = 10$  minutes.
- In the second scenario, *The Nightlight* travels from suburb 2 to suburb 3. She can use one road to travel  $2 \rightarrow 3$  in 1 minute.
- In the third scenario, *The Nightlight* travels from suburb 3 to suburb 5. She can use roads to travel  $3 \rightarrow 4 \rightarrow 5$  for a total of  $2 + 4 = 6$  minutes.

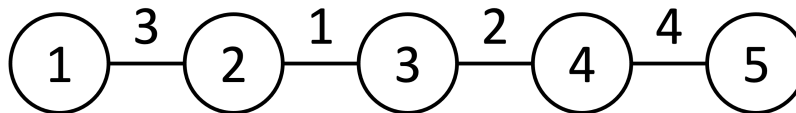


Figure 1: Sample Case 1

In the second sample case, there are  $Q = 2$  scenarios:

- In the first scenario, *The Nightlight* travels from suburb 1 to suburb 5. She can use an *Overcycle* to directly travel from suburb 1 to 5 in 1 minute.
- In the second scenario, *The Nightlight* travels from suburb 2 to suburb 3. She can use a mixture of roads and *Overcycles* to travel  $2 \rightarrow 1 \rightarrow 5 \rightarrow 4 \rightarrow 3$  for a total of  $2 + 1 + 2 + 2 = 7$  minutes.

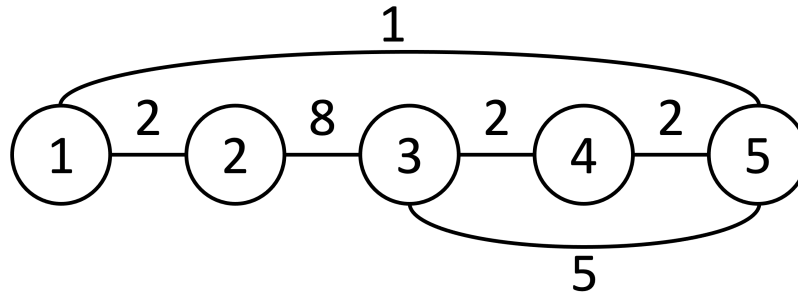


Figure 2: Sample Case 2